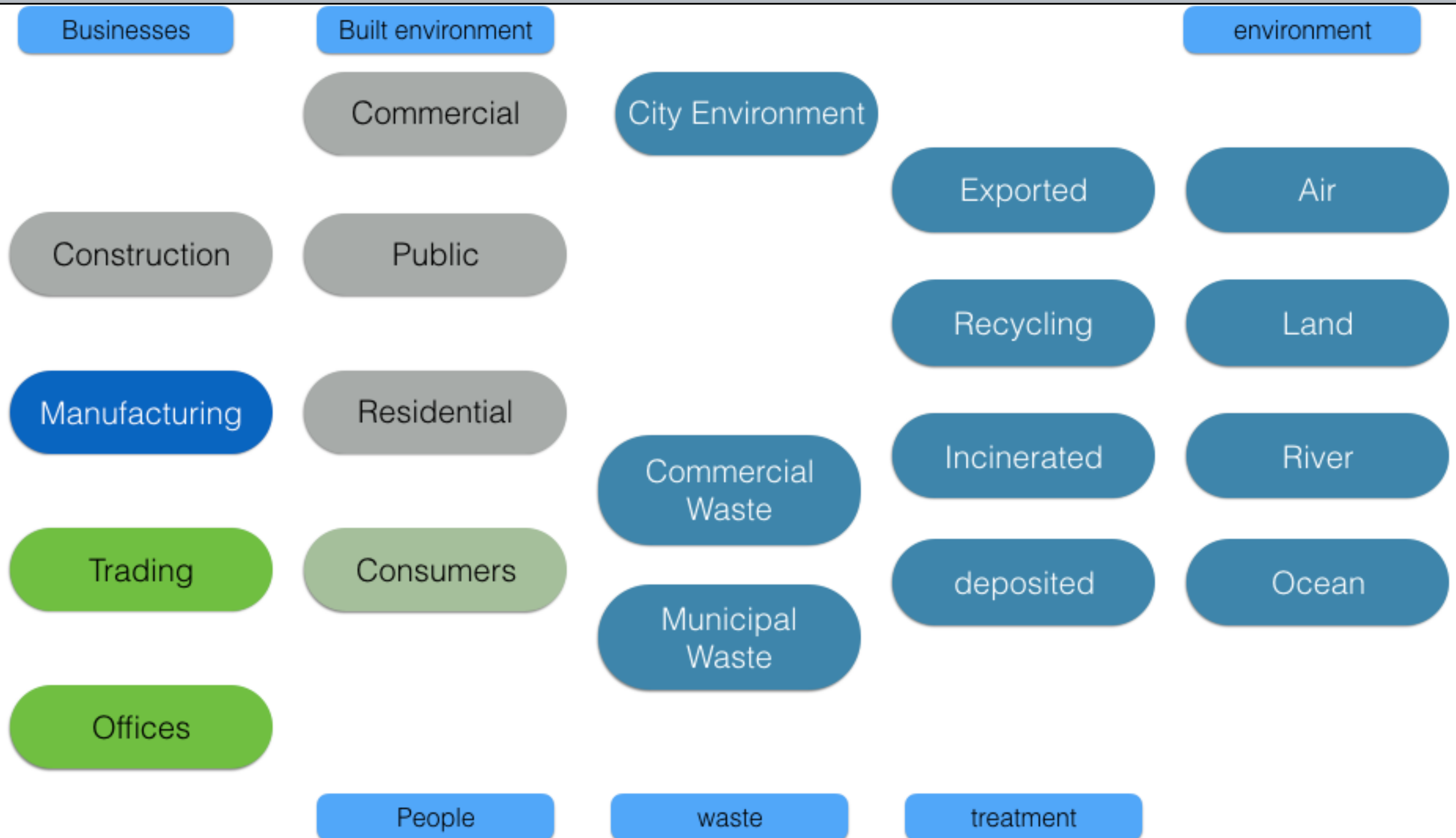


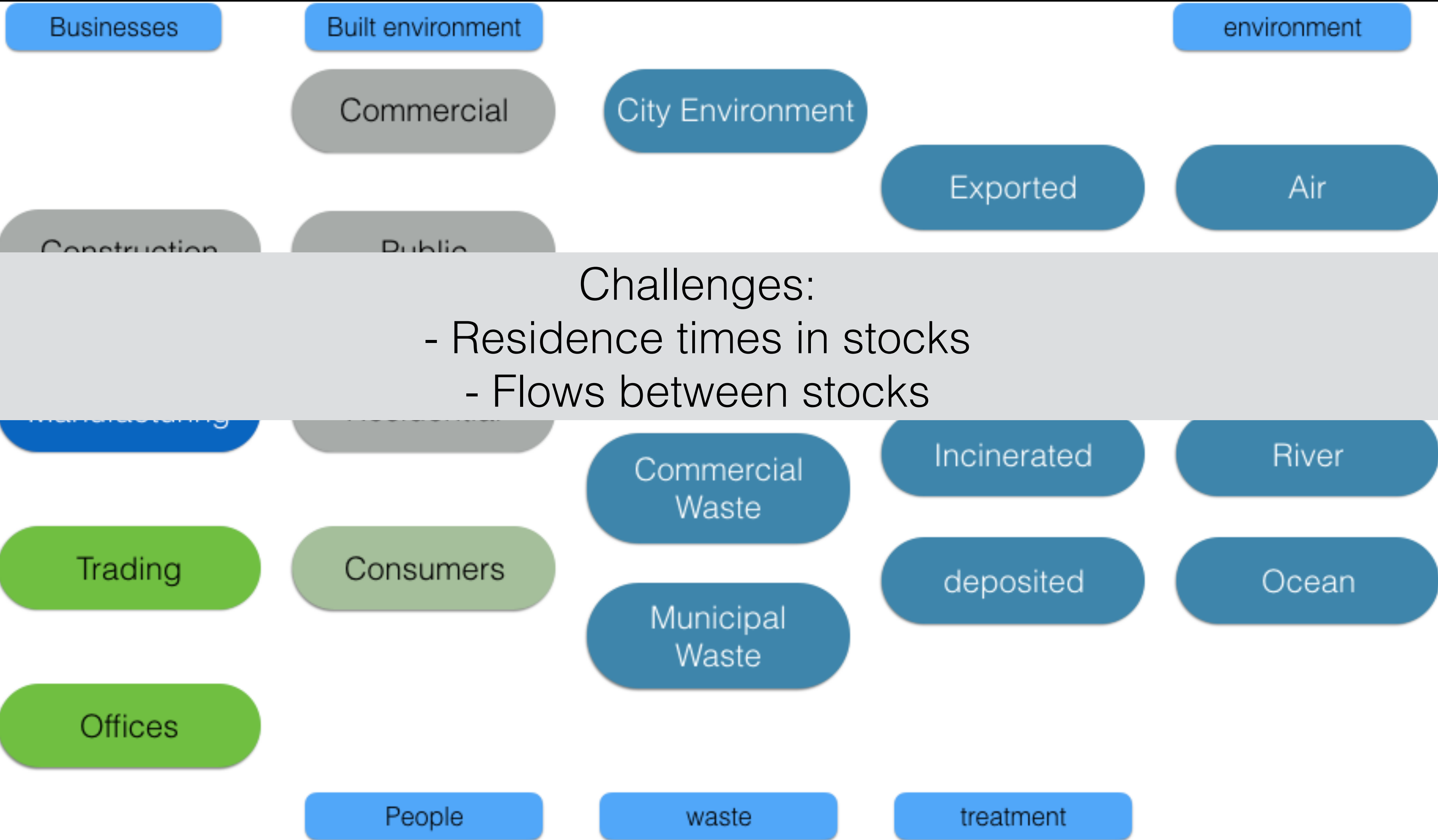
The Plastic Use and Life Cycles: A Systems Approach

Hans-Peter Plag
Mitigation and Adaptation Research Institute (MARI)
Old Dominion University



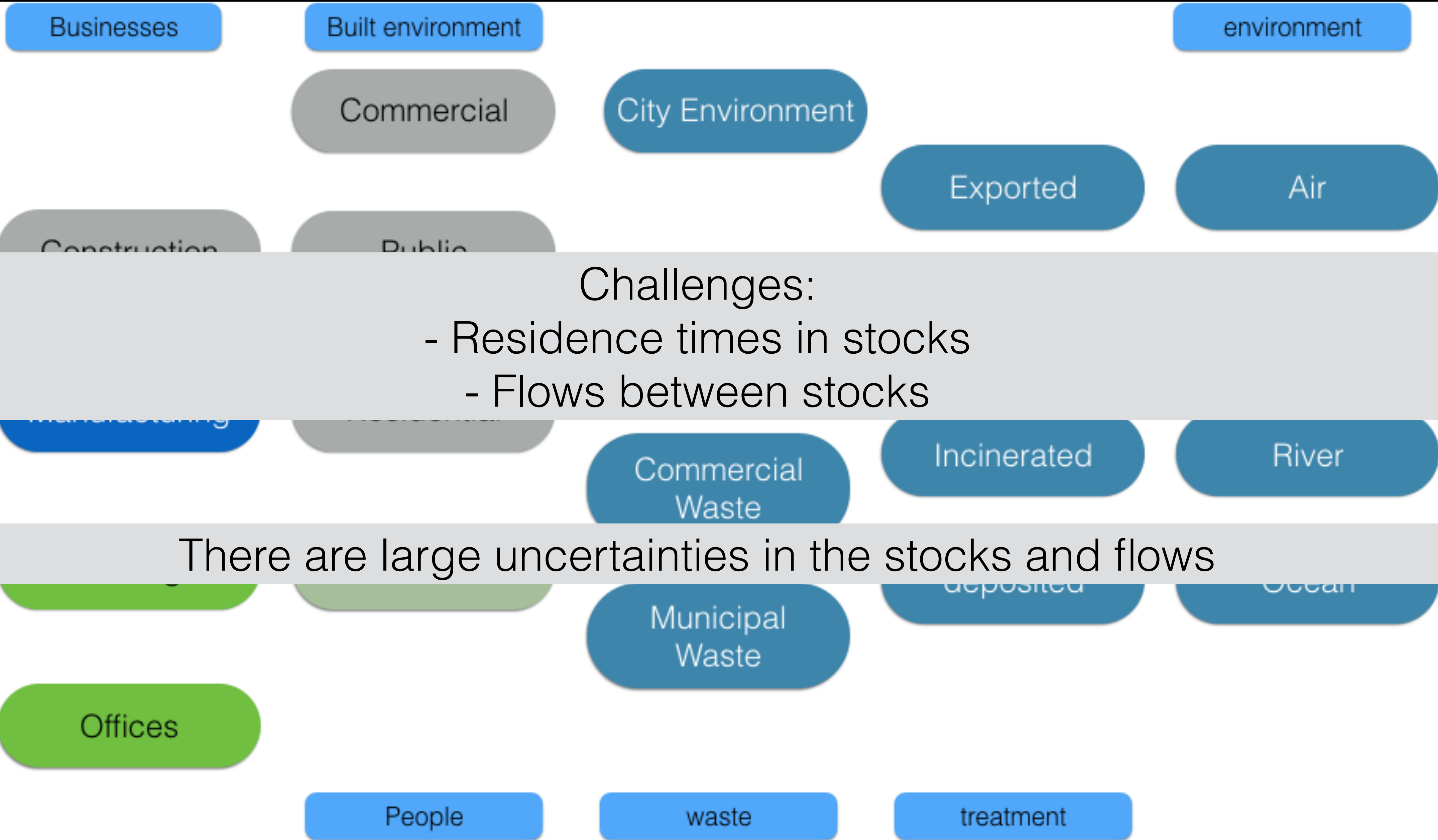
Towards a Conceptual Model





Challenges:

- Residence times in stocks
- Flows between stocks



Challenges:
- Residence times in stocks
- Flows between stocks

There are large uncertainties in the stocks and flows

Scale (for society):

- Household: *important for agent-based model*
- Business: *important for agent-based model;*
- Municipality: *can impose regulations for businesses and customers; determines fees and taxes*
- State: *can impose regulations for businesses and customers; determines fees and taxes*
- Country: *can impose regulations; trade regulations, taxes, etc.*
- Globe: *international and intergovernmental trade regulations*

System of systems model with different SFMs for different scales and systems for the whole of society

Scale-dependent models:

- Business: *those directly impacting plastic production, use, recycling, disposal, and trade*
- Municipality: *can include production, use, disposal/recycling of plastics*
- State: *composed of several municipalities; can include state-level production, disposal/recycling of plastics; exchange with other states;*
- Country: *composed of several states; trade with other countries;*
- Globe: *composed of many countries*

Scale (for environment):

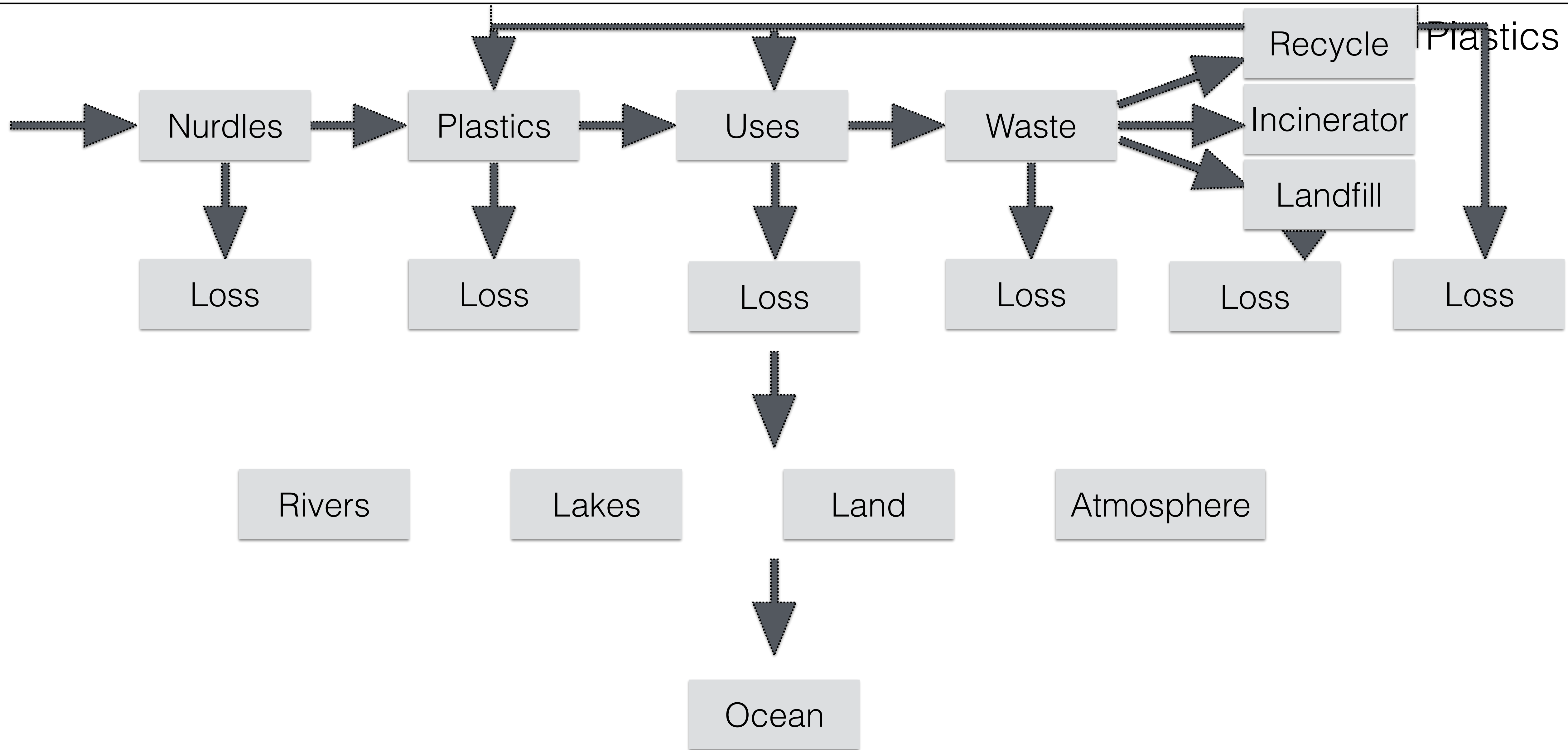
- rivers (watershed);
- lakes;
- land (watershed);
- atmosphere
- ocean

System of systems model with different SFMs for different entities for the whole of the environment

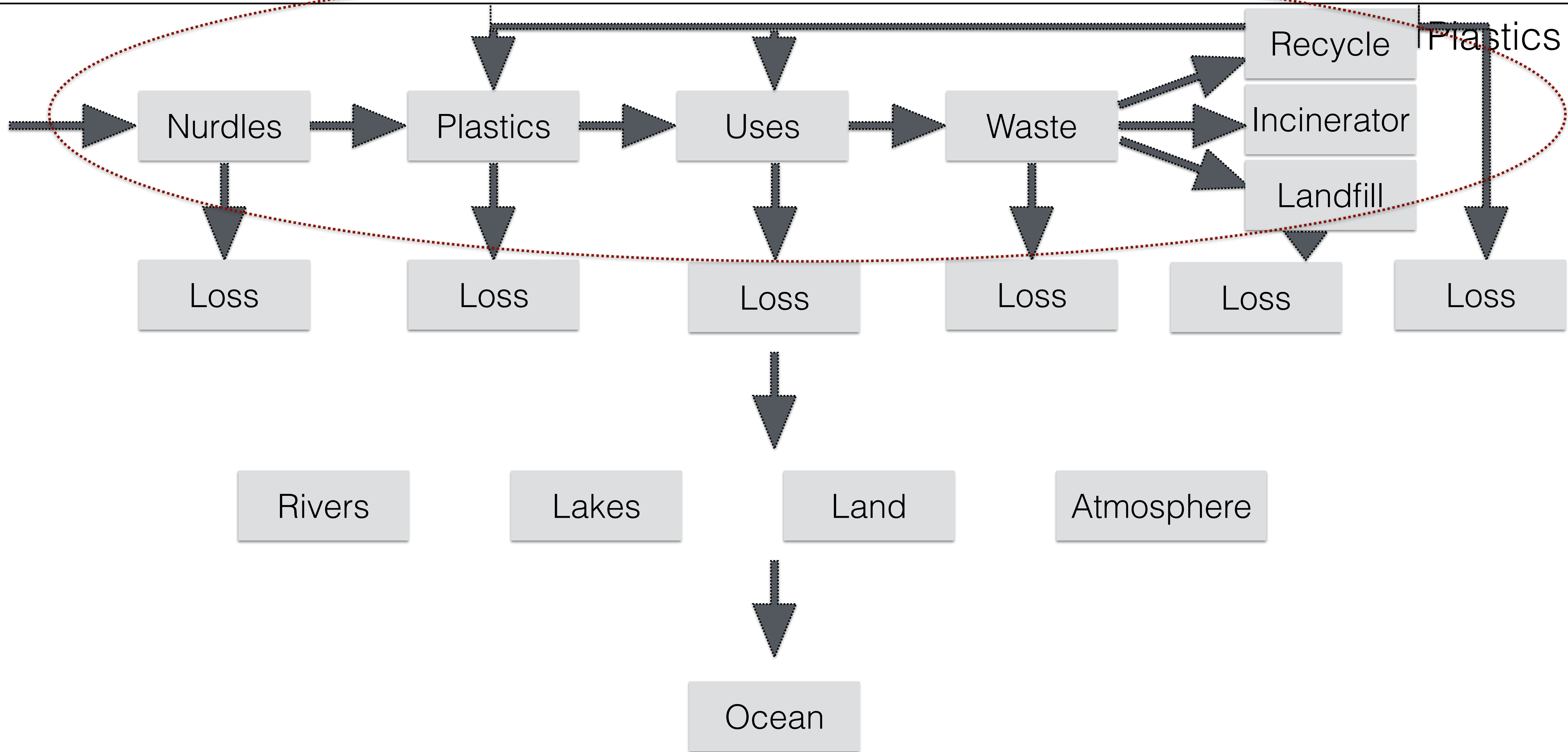
Scale-dependent models:

- watershed (land, river, lakes)
- atmosphere
- ocean

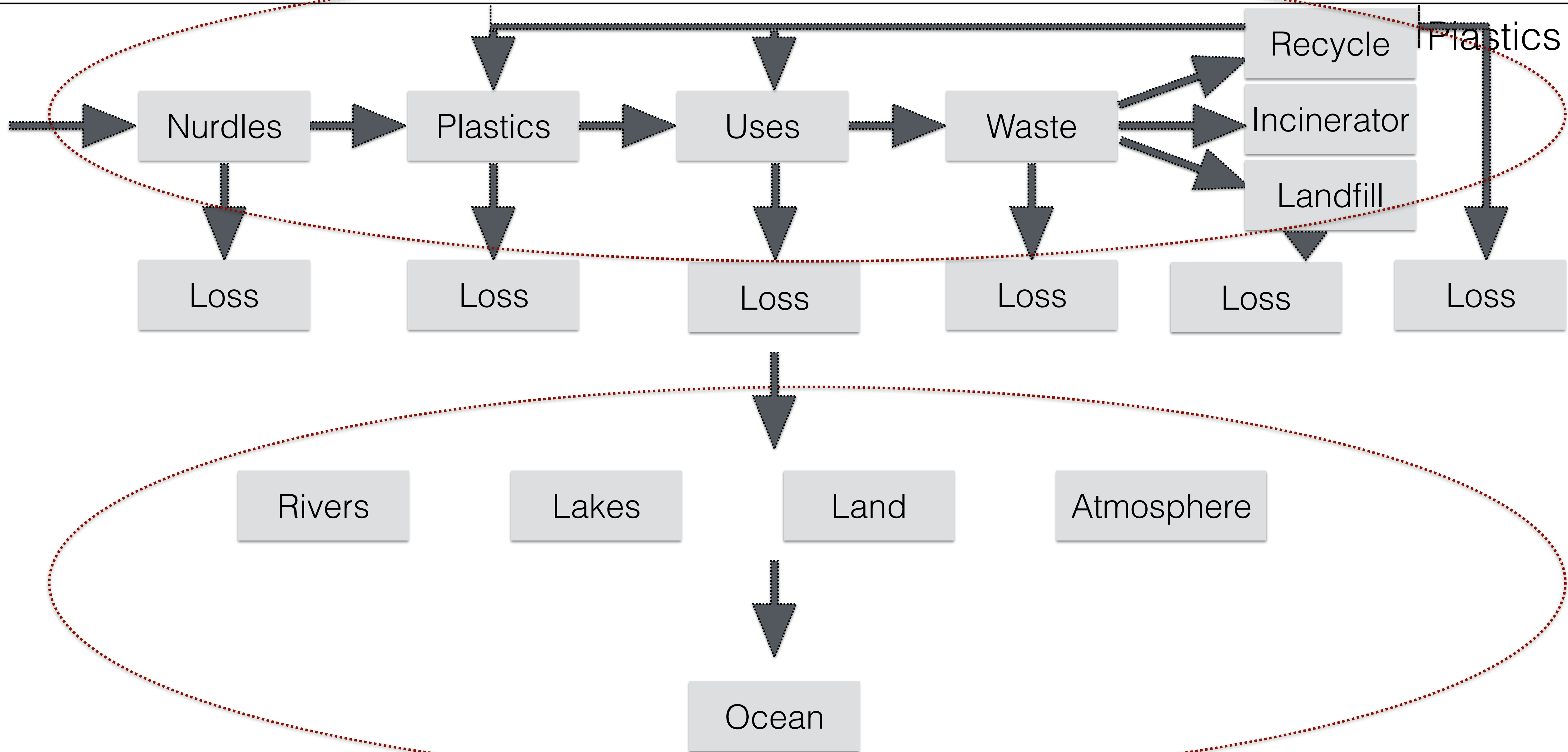
Towards a Conceptual Model



Towards a Conceptual Model



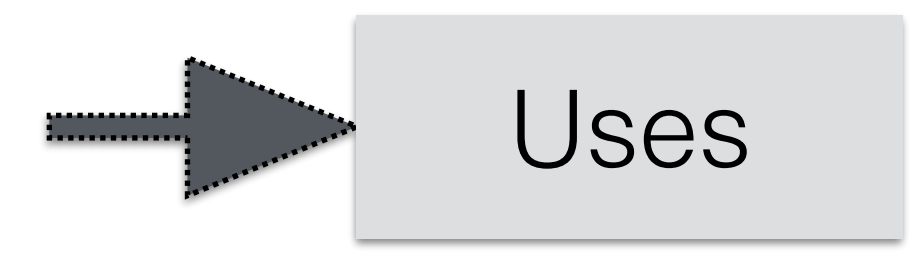
Towards a Conceptual Model



Towards a Conceptual Model



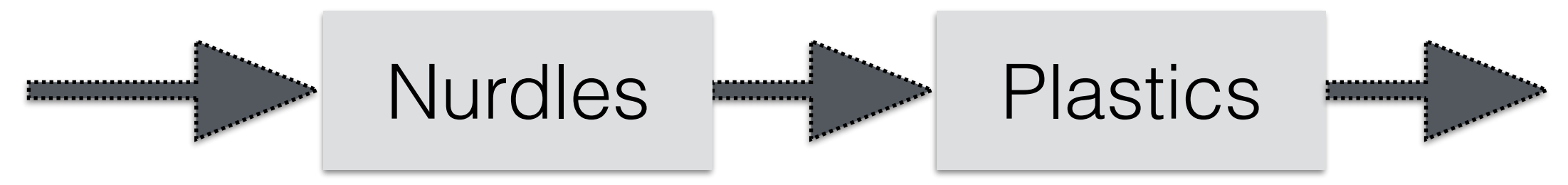
- Polyethylene terephthalate (PETE or PET)
- Polyethylene (PE)
- Polyvinyl Chloride (PVC)
- Polypropylene (PP)
- Polystyrene (PS)
- Polylactic Acid (PLA)
- Polycarbonate (PC)
- Acrylic (PMMA)
- Acetal (Polyoxymethylene, POM)
- Nylon (PA)
- Acrylonitrile Butadiene Styrene (ABS)



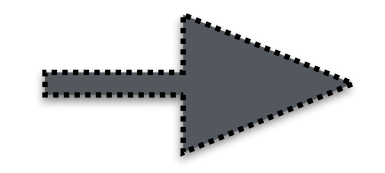
SFM for Plastics

Uses

Towards a Conceptual Model

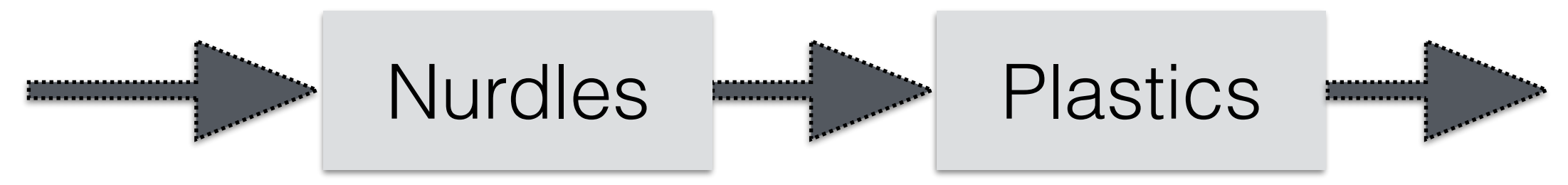


- Packaging/single use
- Cloths
- Electronics
- Cars
- Transportation services
- Infrastructure
- Public/Commercial Buildings
- Residential Buildings

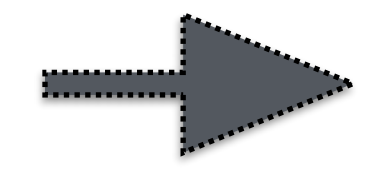


SFM for Plastics

Towards a Conceptual Model



- Packaging/single use
- Cloths
- Electronics
- Cars
- Transportation services
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SFM for Plastics

Stocks depend on the flows in and out of a stock

Stocks depend on the flows in and out of a stock

In general, in each time step (each year), stocks are changed by adding the flows into the stock and subtracting the flows out of the stock:

$${}_i S_{\text{acronym}} = {}_{i-1} S_{\text{acronym}} + \sum_{j=1}^J {}_i F_{\text{acronym}_j}^{\text{acronym}} - \sum_{k=1}^K {}_i F_{\text{acronym}_k}^{\text{acronym}} \quad (4)$$

where J and K are the numbers of stock-specific flows into and out of the stock, respectively.

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where J and K are the numbers of stock-specific flows into and out of the stock, respectively.

Flows out of a stock depend on residence time

The flows out of a stock depend in general on the residence time of the items in a stock. The residence time is not the same for all items, and residence times can be given as a residence time distribution which specifies the percentage of items that have a residence time of n time steps for $n = 1, \dots, N$.

$$R(n) = p_n, \quad n = 1, N, \quad (5)$$

where N is the maximum residence time in time steps. A flow F out of stock S at time step i can then be computed as

$${}_i F_{\text{acronym}} = \sum_{j=1}^N {}_{i-j} F_{\text{acronym}} \cdot R(j), \quad (6)$$

where “acronym” is the acronym for stock S .

Flows can be demand-drive or supply-driven

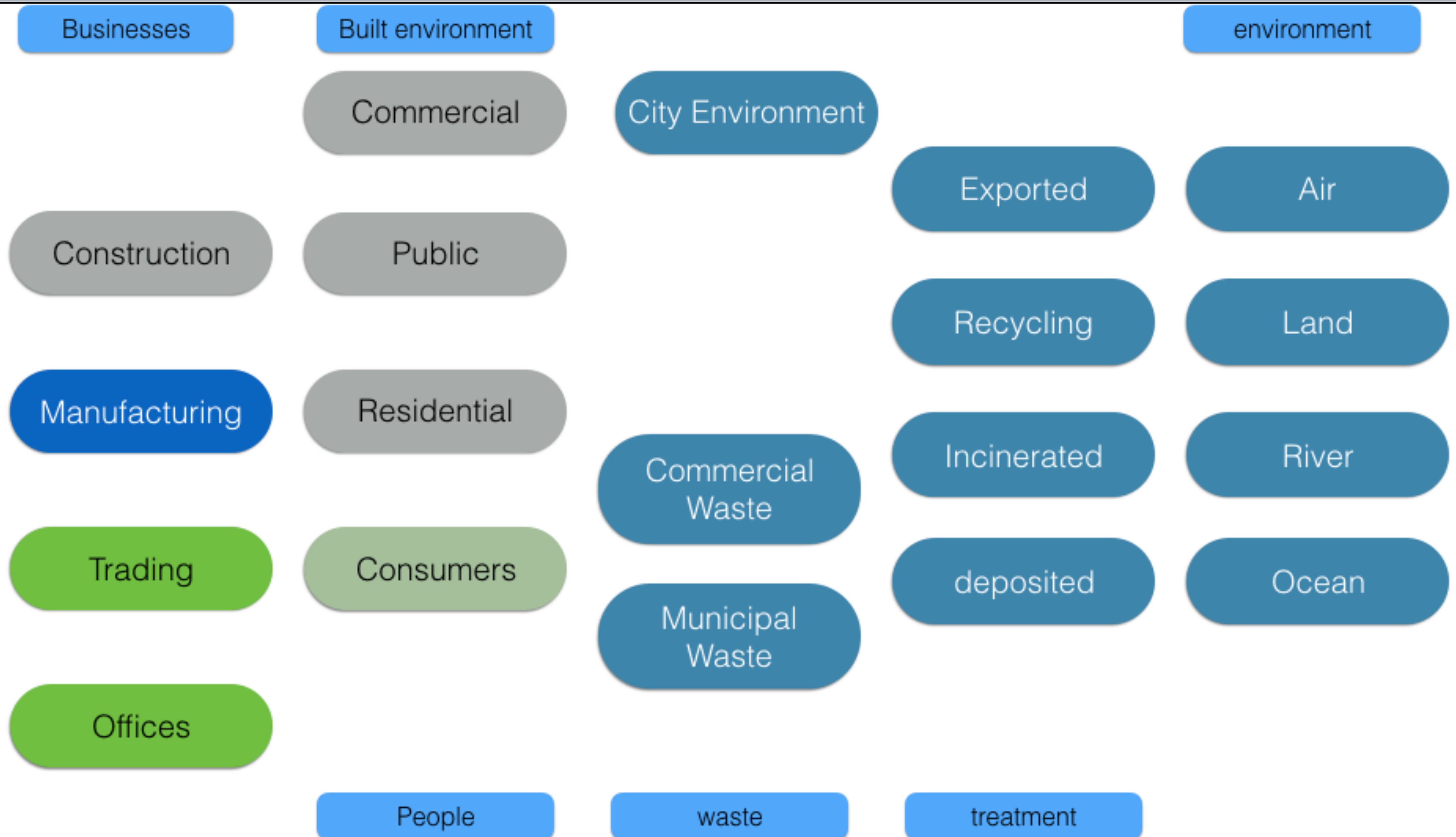
Flows can be demand-drive or supply-driven

Construction (cons): The flow into the stock S_{cons} is an on-demand flow and equals the flow out of this stock. The flows out are depending on the buildings being constructed in a given time step, the amount of plastic needed per unit of buildings, and on the fraction of plastic turned into waste during construction. The flow ${}_iF^{\text{cons}}$ is given by

$${}_iF^{\text{cons}} = (1 + r_w) \cdot ({}_{i-1}F_{\text{cons}}^{\text{comm}} + {}_{i-1}F_{\text{cons}}^{\text{publ}} + {}_{i-1}F_{\text{cons}}^{\text{resi}}), \quad (7)$$

where r_w denotes the fraction of plastic that is turned into waste during construction. Here, the assumption is that in any given time step, the plastic added to S_{cons} is equal to what was used in the previous time step.

Stock and Flow Model



Stock and Flow Model

